

## **Globally Reliable E-Mail: An Application of Triple-EHDES over Teeming Channel**

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### **Abstract**

In this paper, we presented an errorless procedure of e-mailing system for Internet communication. It is the model of a real-life secure mailing system for any organization. In this model anyone can send a secret message even to any strange person in an anonymous way. The users of this model are assumed to be may or may not be the members of a closed organization. If any error occurred during the transmission due to teeming channel, it can also be determine & encountered by error correction function. Triple EHDES is used to provide supreme level of security.

**Keywords:** Message, EHDES, Triple EHDES, Steganography, Covert Mailing System, Random Number, Fuzzy Error Correcting Code.

### **Introduction**

Steganography has a relatively short history; even today ordinary dictionaries do not contain the word “steganography”. Books on steganography are still very few [1], [2].

The most important feature of this steganography is that it has a very large data hiding capacity [3], [4]. Steganography can be applied to variety of information systems. Some key is used in these systems when it embeds/extracts secret data. One natural application is a secret mailing system [5], [6] that uses a symmetric key. Another application pays attention to the nature of steganography whereby the external data (e.g., visible image data) and the internal data (any hidden information) cannot be separated by any means. We will term this nature as an “inseparability” of the two forms of data.

In this current paper, we will show the power of a mixed scheme of steganography and cryptography with error correction code, are Secure E-Messaging Scheme Using Symmetric Key Encryption –Triple EHDES, which are an anonymous and covert e-mailing system with complete security [15].

Present paper is as follows. Section 2, describes the scheme of Triple enhanced data encryption standard (T-EHDES) and method of error correction code. In Section 3 we will show a secure messaging scheme using symmetric key. How we can make it a safe system in Section 4. Finally, section 5 is conclusion.

### **Preliminaries**

Now the use of internet is increasing rapidly. The amount of transfer messaging has increased rapidly on the Internet. The pivotal role of cryptography is, it provides the process of encryption and decryption. Cryptography algorithms use encryption keys, which are the elements that turn a general encryption algorithm into a specific method of encryption. [7], [9], [14].

### **Triple EHDES**

Triple EHDES uses the cascading or chain of Enhanced DataEncryption Standard (EHDES) [7, 8].

Let  $EK(P.T.)$  and  $DK(P.T.)$  represent the EHDES encryption and decryption of P.T. using EHDES key K respectively. Each EHDES encryption/decryption operation is a compound operation of EHDES encryption and decryption operations.

The standard specifies the following keying options for bundle (K1, K2, and K3)

1. Keying Option 1: K1, K2 and K3 are independent keys.
2. Keying Option 2: K1 and K2 are independent keys and  $K3 = K1$ .
3. Keying Option 3:  $K1 = K2 = K3$ .

### **Key Generation**

Message breaks in 64 Bit n blocks of plain text.

$$M = \{M_1, M_2, M_3, \dots, M_n\}$$

Now, we encrypt our message  $\{M_1, M_2, M_3, \dots, M_n\}$  blocks by each new generated key  $K_{new1}, K_{new2}, K_{new3}, \dots, K_{new n}$ . with the help of F and random number.[10, 11, 12. 13]

**Encryption on Input Data**

The transformation of a 64-bit block P.T. into a 64-bit block C.T. that is defined as follows:

$$C.T = EK3 (DK2 (EK1 (P.T.))).$$

**Decryption on Input Cipher**

Decryption is the reverse process of encryption. For decryption, we also used the same key which is used in encryption. On the receiver side, the user also generate the same new key  $K_{new\ i}$  for each block of cipher and generate plain text through decryption process of data encryption standard. the transformation of a 64-bit block P.T into a 64-bit block C.T. that is defined as follows:

$$P.T. = DK1 (EK2 (DK3 (C.T.))).$$

**Error Correction Code**

A metric space is a set  $C$  with a distance function  $dist : C \times C \rightarrow R^+ = [0, \infty)$ , which obeys the usual properties (symmetric, triangle inequalities, zero distance between equal points) [16,17].

**Definition:** Let  $C \subseteq \{0,1\}^n$  be a code set which consists of a set of code words  $c_i$  of length  $n$ . The distance metric between any two code words  $c_i$  and  $c_j$  in  $C$  is defined

$$dist(c_i, c_j) = \sum_{r=1}^n |c_{ir} - c_{jr}| \quad c_i, c_j \in C$$

by

This is known as Hamming distance [18].

**Definition:** An error correction function  $f$  for a code  $C$  is defined as  $f(c_i) = \{c_j / dist(c_i, c_j) \text{ is the minimum over } C - \{c_i\}\}$ . Here,  $c_j = f(c_i)$  is called the nearest neighbor of  $c_i$  [16].

**Definition:** The measurement of nearness between two code words  $c$  and  $c'$  is defined by  $nearness(c, c') = dist(c, c') / n$ , it is obvious that  $0 \leq nearness(c, c') \leq 1$  [18].

**Definition:** The fuzzy membership function for a codeword  $c'$  to be equal to a given  $c$  is defined as [13]

$$FUZZ(c') = \begin{cases} 0 & \text{if } nearness(c, c') = z \leq z_0 < 1 \\ = z & \text{otherwise} \end{cases}$$

## A model of Globally Reliable E-Mail: An Approach of Triple EHDES (GREAT-E).

**Globally Reliable E-Mail:** An Application of Triple-EHDES (GREAT-E) is a steganography application program with cryptography. In the following description,  $M_{GREAT-E1}$ , denotes a member of GREAT-E 1, and  $M_{GREAT-E2}$ , denotes a member of GREAT-E 2.

AGREAT-E consists of the three following components.

1. Envelope Producer (EP).
2. Message Inserter (MI).
3. Envelope Opener (EO).

We denote  $M_{GREAT-E1}$ 's GREAT-E as GREAT-E1 (i.e., customized GREAT-E by  $M_{GREAT-E1}$ ). So, it is described as  $M_{GREAT-E1} = (EP_{GREAT-E1}, MI_{GREAT-E1}, EO_{GREAT-E1})$ .  $EP_{GREAT-E1}$  is a component that produces  $M_{GREAT-E1}$ 's envelope ( $E_{GREAT-E1}$ ) and  $f = \sum_{i=1}^n i$ .  $E_{GREAT-E1}$  is the envelope (actually, an image file) which is used by all other members in the organization when they send a secret message to  $M_{GREAT-E1}$ . ( $EO_{GREAT-E1}$ ) is produced from an original image ( $EO$ ).  $M_{GREAT-E1}$  can select it according to his preference. ( $E_{GREAT-E1}$ ) has both the name and e-mail address of  $M_{GREAT-E1}$  on the envelope surface (actually, the name and address are "printed" on image ( $E_{GREAT-E1}$ ). It will be placed with function  $f$  at an open site in the organization so that anyone can get it freely and use it any time or someone may ask  $M_{GREAT-E1}$  to send it directly to him/her. ( $MI_{GREAT-E1}$ ) is the component to insert (i.e., embed according to the steganographic scheme)  $M_{GREAT-E1}$ 's message into another member's (e.g.,  $M_{GREAT-E2}$ )'s envelope ( $E_{GREAT-E2}$ ) when  $M_{GREAT-E1}$  is sending a secret message ( $Mess.GREAT-E1$ ) to ( $M_{GREAT-E1}$ ). One important function of  $M_{GREAT-E1}$  is that it detects a key ( $Key_{GREAT-E1}$ ) that has been hidden in the envelope ( $E_{GREAT-E2}$ ) and uses it when inserting a message ( $Mess.GREAT-E1$ ) in ( $E_{GREAT-E2}$ ). ( $EO_{GREAT-E1}$ ) is a component that opens (extracts) ( $E_{GREAT-E1}$ )'s "message inserted" envelope ( $E_{GREAT-E1}(Mess.GREAT-E2)$ ) which  $M_{GREAT-E1}$  received from someone as an e-mail attachment. The sender ( $M_{GREAT-E2}$ ) of the secret message ( $Mess.GREAT-E2$ ) is not known until  $M_{GREAT-E1}$  opens the envelope by using ( $EO_{GREAT-E1}$ ).

### Customization of Great-E

Customization of a GREAT-E for a member ( $M_{GREAT-E1}$ ) takes place in the following way. ( $M_{GREAT-E1}$ ), first decides a key ( $Key_{GREAT-E1}$ ) with  $f = \sum_{i=1}^n i$  where  $i$  is a positive integer, when he/she installs the GREAT-E onto his computer. Let us suppose  $E_{GREAT-E2}$  try to communicate at any time  $t$ , then he/she picks up a number randomly from  $i$ . Now, GREAT-E generates  $f_t = \sum_{i=1}^{n-1} i$ . Let  $R = f - f_t$ , GREAT-E generate a key ( $Key_{GREAT-E1}$ ) with the help of  $R$  using Triple EHDES key generation process. Then he types in his name  $Name_{GREAT-E1}$  and e-mail address

$(Emailadr_{GREAT-E1})$ .  $(Key_{GREAT-E1})$  is secretly hidden (according to a steganographic procedure in his envelope  $(E_{GREAT-E1})$ . This  $(Key_{GREAT-E1})$  is eventually transferred to a message sender's  $(MI_{GREAT-E2})$  in an invisible way.  $(Name_{GREAT-E1})$  and  $(Emailadr_{GREAT-E1})$  are printed out on the envelope surface when  $(M_{GREAT-E1})$  produces  $(E_{GREAT-E1})$  by using  $(EP_{GREAT-E1})$ .  $(Key_{GREAT-E1})$  is also set to  $(EO_{GREAT-E1})$ . When communicators wish to start the communication,  $(Name_{GREAT-E1})$  and  $(Emailadr_{GREAT-E1})$  are also inserted (actually, embedded) automatically by  $(MI_{GREAT-E1})$  any time  $(M_{GREAT-E1})$  inserts his message  $(Mess_{GREAT-E1})$  in another member's envelope  $(E_{GREAT-E2})$ . The embedded  $(Name_{GREAT-E1})$  and  $(Emailadr_{GREAT-E1})$  are extracted by a message receiver  $(M_{GREAT-E2})$  by  $(EO_{GREAT-E2})$ .

### How it works

When some member  $(M_{GREAT-E2})$  wants to send a secret message  $(Mess_{GREAT-E2})$  to another member  $(M_{GREAT-E1})$ , whether they are acquainted or not,  $(M_{GREAT-E2})$  gets (e.g., downloads) the  $(M_{GREAT-E1})$ 's envelope  $(E_{GREAT-E1})$ , and uses it to insert his message  $(Mess_{GREAT-E2})$  by using  $(MI_{GREAT-E2})$ . When  $(M_{GREAT-E2})$  tries to insert a message,  $(M_{GREAT-E1})$ 's key  $(Key_{GREAT-E1})$  is transferred to  $(MI_{GREAT-E2})$  automatically in an invisible manner, and is actually used.  $(M_{GREAT-E2})$  can send  $(E_{GREAT-E1}(M_{GREAT-E2}))$  directly, or ask someone else to send, it to  $(M_{GREAT-E1})$  as an e-mail attachment with using encryption process of Triple EHDES on  $(E_{GREAT-E1}(M_{GREAT-E2}))$ .  $(M_{GREAT-E2})$  can be anonymous because no sender's information is seen on  $(E_{GREAT-E1}(M_{GREAT-E2}))$ .  $(Mess_{GREAT-E2})$  is hidden, and only  $(M_{GREAT-E1})$  can see it by opening the envelope. It is not a problem for  $(M_{GREAT-E2})$  and  $(M_{GREAT-E1})$  to be acquainted or not because  $(M_{GREAT-E2})$  can get anyone's envelope from an open site.

### Error Correction

Receiver check that  $dist(t(c)c') > 0$ , he will realize that there is an error occur during the transmission. Receiver apply the error correction function  $f$  to  $c' : f(c)$ .

Then receiver will compute nearness  $(t(c), f(c')) = dist(t(c)f(c')) / n$

$$FUZZ(c') = 0 \quad \text{if nearness}(c, c') = z \leq z_0 < 1$$

$$= z \quad \text{otherwise}$$

### Conclusion

Section 3 and 4 itself shows the strength and security of Globally Reliable E-Mail: An Application of Triple-EHDES over Teeming Channel. The attraction and usability of this application is, it's also having the feature of error detection and correction using error correction code.

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